



ST. LAWRENCE HIGH SCHOOL

## **TOPIC- Mid point theorem**

Sub: Mathematics	Class: 9	F. M. 15
WORK SHEET NO23	Solution	Date: 2.5.2020

## Q.1) Choose the correct options: 1x15=15

- i) In the Parallelogram ABCD, P and Q are mid points of AD and BC. Then AQ and CP\_\_\_BD. b)trisect
- ii) C is the mid point of line AB. XY is any straight line. From A, B, C the perpendiculars AP, BQ and CR are drawn on XY. Then AP +BQ =

b)2CR

- iii) The quadrilateral formed by joining the mid points of the sides of the square form a\_\_\_\_\_.a) square
- iv) The quadrilateral formed by joining the mid points of the sides of rhombus is a\_\_\_\_\_.b) rectangle

v) In triangle ABC, the mid points of BC is O and BP and CP are perpendicular on a straight line through A. Then OP\_\_\_\_OQ.

a) equal

vi) In triangle ABC, AD is the perpendicular upon the bisector of<ABC. The line DE through D parallel to BC is drawn which meets AC at E. Then AE\_\_\_\_EC.

a)equal

vii) In triangle ABC, P is the mid point of BC. Through P, the lines parallel to AC and AB are drawn which meet AB and AC at Q and R. Then QR\_\_\_\_\_ to BC.

a)parallel

viii) In triangle ABC, E is the mid point of median AD. Extended BE intersect AC at F. Then AF is equal to

c)1/3 AC

ix) In triangle ABC, D, E, and F are the mid point of sides AB, AC and BC. Then DE and EF will\_\_\_\_\_each other.

a) bisect

x) The line segment joining the mid points of two oblique sides of a trapezium is\_\_\_\_\_to the parallel sides.

a)parallel

xi) AD is a median of triangle ABC. O is the mid point of AD. Extended BO intersect AC at point E . Then BO =\_\_\_\_.

c)3OE

xii) In equilateral triangle ABC, mid point of BC, CA, and AB are D, E, and F. Then AEDF is a)rhombus

xiii) P and Q are the mid points of AB and AC of triangle ABC. The median AD intersect the line segment PQ at O. If BC =12cm then OP=

b)3cm

xiv) If the two medians of a triangle are equal then the triangle is

a)isosceles

xv) In triangle ABC, AC=8cm and BC =6cm. From the mid point D of AB, DE is drawn II BC which intersect AC at E then DE =

b)3cm