## ST. LAWRENCE HIGH SCHOOL

## TOPIC - Theorems on Concurrence and Construction

| Subject : Mathematics | Class-9 | Second Term | F. M. 15 |
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| WORKSHEET NO. - 4 | Solutions | Date: 16.11.2020 |  |

Q.1) Choose the correct option:
(1x15=15)
i) G is the centroid of $\triangle \mathrm{ABC}$. If area of $\triangle \mathrm{GBC}$ is 12 sq. cm , then th area of $\triangle \mathrm{ABC}$ is
c) $36 \mathrm{sq} . \mathrm{cm}$
ii) If the length of circumradius of a right angled triangle is 5 cm , then the length of hypotenuse is b) 10 cm
iii) The length of the circumradius of the triangle having sides $9 \mathrm{~cm}, 12 \mathrm{~cm}$ and 15 cm is
d) 7.5 cm
iv) $O$ is the circmcentre of the $\triangle A B C$. If $\angle B O C=100^{\circ}$, then measure of $\angle B A C$ is
a) $50^{\circ}$
v) In the $\triangle A B C, A D$ is a median and $G$ is the centroid. If $A G=5 \mathrm{~cm}$, then measure of $G D$ is
d) 2.5 cm
vi) $O$ is the incentre of $\triangle A B C$. If $\angle B A C=30^{\circ}$, then measure of $\angle B O C$ is
c) $105^{\circ}$
vii) In $\triangle A B C, \angle B$ is rt.angle. $D$ is the midpoint of the side $A C$. If $A B=6 \mathrm{~cm}$ and $B C=8 \mathrm{~cm}$, then length of $B D$ is C) 5 cm
viii ) $G$ is the centroid of $\triangle A B C$. If $A G=8 \mathrm{~cm}$, then length of the median through $A$ is
b) 12 cm
ix) $G$ is the centroid of $\triangle A B C$, and if CF is a median, then CF : CG is
a) $3: 2$
$x)$ The incentre of a $\triangle A B C$ is 0 . If $\angle A B O=40^{\circ}$ and $\angle A C O=30^{\circ}$, then measure of $\angle B O C$ is
a) $110^{\circ}$
xi) In $\triangle A B C, O$ is the orthocenter. If $\angle B A C=70^{\circ}$, then measure of $\angle B O C$ is
a) $110^{\circ}$
xii) $O$ is the orthocentre of $\triangle A B C$. If $\angle B O C=120^{\circ}$, then measure of $\angle A C O$ is
a) $30^{\circ}$
xiii) At least how many conditions are needed to construct a triangle?
b) 3
xiv) At least how many conditions are needed to construct a quadrilateral?
d) 5
xv ) The point of intersection of the medians of a triangle is called $\qquad$
c) Centroid

